## THE BBN-LISP SYSTEM

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Prepared for:
AIR FORCE CAMBRIDGE RESEARCH LABORATORIES
OFFICE OF AEROSPACE RESEARCH
UNITED STATES AIR FORCE
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## THE BBN-LISP SYSTEM


#### Abstract

ABSITRACT

This report describes in detail the BBN-IISP system. This LISP system has a number of unique features; most notably, it has a small core memory, and utilizes a drum for storage of list structure. The paging techniques described here allow utilization of this large, but slow, drum memory with a surprisingly small time penalty. These techniques are applicable to the design of efficient list processing systems embedded in time-sharing systems using paging for memory allocation.


## SECTION I.

## INTRODUCTION

LISP is a highly sophisticated list-procelsing language which is being used extensively in the artificial intelligence research program at Bolt Beranek and Newman. This report describes our LISP system, which has a nunber of unique features. Ideally, a LISP system would have a very large, fast, random-access memory. However, magnetic core memory (the only large scale random-access memori available) is very expensive relative to serial memory devices such as magnetic drums or discs. Since average aocess time to a word on a drum or disc is approximately 1000 times slower than access to a word in a core memory, using a drum as a simple extension of core memory would redice the operating speed of a system by a factor of 1000.

We have developed a special paging technique which allows utilization of a drum for storage with a much smaller time penalty. This technique allows us to make effective use of a LISP system on our PDP-1 which has only 8392 18-bit words of 5 microsecond core memory and 92,312 words on a drum with an average access time of 16.5 milliseconds. In addition, the techniques reported here would :improve the speed of operation of LISP systems embedded in time-sharing systems using paging for memory allocation. In these timesharing systems the user is allocated only a small portion of core memory at any time, although his jrogram can address a large virtual memory. The portion of his data structure and/or program not in core is kept in a slower secondary
storage medium such as a drum or disc. Tlus, to the user it is very similar to the situation on our P'JP-1, except that a hardware mechanism makes the program transparent to the medium of storage of any page of his program.

Section II of this report describes the internal structure of the BBN-IISP system, and the mechanismis used to facilitate fast use of drum storage. Section I:LI describes the LISP functions which are built into the basic system. Section IV contains listings of those functions which are defined in IISP.

Although we have tried to be as clear and complete as possible, this document is not designed to be an introduction to IISP. Therefore some parts may be clear only to people who have had some experience with other IISP isystems.

## SECTION II.

## THE INTERNAL STRUCTURE OF <br> THE BBN-IISP SYSTEM

The BBN-LISF System uses only a small core memory, but achieves a large memory capacity by utilizing a drum. This drum is used in three ways. First, the working program is divided into three overlays, the read and print (input-cutput) program, the garbage collector, and the interpreter of s-expressions. Only one of these overlays is in core at any time, although a number of sub-programs common to all three remain in core at all times.

Secondly, the drum contains a large push-down list for use in running recursive programs. This push-down list is doublebuffered; that is, the section of the push-down list used most recently is in core and the section used immediately preceding this section is also there, so that traveling between buffers does not necessitate a drum reference.

The third way of utilizing this large secondary store, the drum, is for storage of list structure. If the entire remaining drum storage was used simply as an extension of core memory, an access to the drum would be needed each time a new list element was referenced; and LISP would be reduced to operating at drum rotation speed. Instead, the drum storage of list structure is divided into pages. Each page is currently 258 words (decimal); and each page contains its own free storage list. The cons algorithm, for constructing a new list element, works as follows.

To construct $z=$ cons $[x ; y]:$

1) If $y$ is not an atom, and there is room on the page with $\underline{y}$, then place $\underline{z}$ on this page
2) Otherwise, if $x$ is not an atom, and there is room on the page with $\underline{x}$, put $\underline{z}$ on that page
3) Otherwise, place $\underline{z}$ on the page in core with maximum free storage.

This algorithm tends to minimize cross link and to limit any single structure to a very few pages. Thus when working with this structure, it is unlikely that one will make references to more than a few pages for a relatively long period of time. Since these pages can resilie in core, no drum references are needed. For example, in entering the definition of a function, the entire definition tends to appear on a single page. Thus, during the interpretation of a function, multiple drum references are usually unnecessary.

Although we have not yet mun this IISP system on a large problem where we can make a reasonable timing compa:cison, we can give the following anecdotal evidence for the invrease in speed due to this paging system. The run light on the PDP-1 goes off when a drum swap is taking place. In an older version of PDP-1 LISP the drum was treated as an extension of core memory. When any problem was run, the run light seemed to go off completely, indicating that the machine was spending almoist all of its time doing drum transfers. In this system, however, the run light seems to burn as brightly as the rest, indicating that relatively few drum transfer operations occur except when going between the three overlay packages, that is, when going from input and output back to the interpreter or going into a garbage collection.

On the research computer, because of the durum storage, we currently have in use an effective free storage list of approximately 25,000 LISP words, i.e., double word pairs (pointers). Each LISP word is, of course, two 18-bit PIP-1 words. In the extended version of IISP that will be used on the hospital system we will have 256,000 LISP words for free storage.

There are a number of differences between this system and 7094 LISP aside from the storage conventions. For example, the value of a variable is stored in a special value cell for that variable, that is, as car of the atom name. An atom is distinguished by its address, which is located in a fixed region of virtual memory space. Thus one need not reference a structure, but only look at its address, in order to tell whether or not it is an atom. If $x$ is an atom, then $\operatorname{cdr}[x]$ is the property list of the atom, as in 7094 LISP. However, the print name of the atom is not to be found on this property list. The user can only get at the print name with the instructions pack and unpack. Similarly, the definition of an atom as a function is hidden away from the user in a special cell associated with the atom name. Two functions, getd[x] and putd[x;def] are used to get the definition of a function, and place the definjtion in the function cell of an atom, respectively. The value cf getd[x] on an atom defined as a machine language subroutine is a numerical constant which bears some relationship to the instruction that must be executed to obtain access to the subroutine.

When a new function is entered, the old values of its variables are pushed down on the push-down list, and the current values are stored in the value cells. Since the current value of any

Different LISP systems employ different methods to achieve the following two effects in functions labellec FEXPR!s in 7094 IISP. These two effects are (1) giving a function the ability to have an indefinite number of arguments, and (2) giving a function the ability to receive its arguments unevaluated.

On the 7094 an FEXPR is defined by putting the function definition on the property list after the flag, FEXPR, and treating it as a special case in the interpreter. In BBN-LISP we call functions which have abilities (1) and (2) FEXPR:'s, but we define them differently. The way an FEXPR is defined irı BBN-IISP is as follows: instead of the usual lambda follcwed by a list of variables, the defining form is preceded by nlamda followed by a list containing a single variable. When a function with an nlamda is entered, everything following the function name in the form to be evaluated is placed on a single list and becomes the value of the single argument of this FEXPR. This is passed to the function unevaluated. In order to evaluate any portion of this list, an explicit call to eval must be made. See "defineq" in the listings for an example of the use of this device. A
third reason FEXPR's and FSUBR's are used orl 7094 LISP is to make the A-list available to a program. However, since there is no A-list in BBN-LISP this will not concern us here.

Another major difference between BBN-LISP ard 7094 LISP is due to the fact that the 7094 has floating froint hardware, and the PDP-1 does not. Any floating point machinery would have to be interpreted on the research computer. This would be expensive in both time and space, and, therefore, in this version of LISP there is only integer arithnetic. A compiler is being planned for the PDP-1 and will be clescribed in a later document.

cons[x;y]
SUBR
$\operatorname{car}[x]$ SUBR
cons constructs a dotted pair of $\underline{x}$ and $X$. If $y$ is a list, $x$ becomes the first element of that list.
car gives the first element of a list $x$, or the left element of a dotted pair x. Nominally undefined for atoms, it gives the binding (value) of an atom $x$.
cdr gives the tail of a list (all but the first element). This is also the right member of a dotted pair. If $x$ is an atom, cdr[x] gives the property list of $x$.
All 30 combinations of nested cars
$\operatorname{caar}[x]=\operatorname{car}[\operatorname{car}[x]]$
SUBR
$\operatorname{cadr}[x]=\operatorname{car}[\operatorname{cdr}[x]]$
SUBR and cdrs up to 4 deep are included in the system.
$\underset{\operatorname{SUBR}}{\operatorname{cdddar}}[x]=\operatorname{cdr}[\operatorname{cdr}[\operatorname{cdr}[\operatorname{cdr}[x]]]]$
eq[x;y]
SUBR

The value of eq is $T$ if $x$ and $y$ are identical atoms, including numbers; otherwise the value is NII. (Will give $T$ for lists if their internal representations are identical, NIL otherwise.)
null[x] SUBR
atom[x] SUBR
oblist[] SUBR
not $[x]$ EXPR
quote[x] FSUBR
cond [ x ] FSUBR
eq[x;NIL]

Its value is $T$ if $x$ is an atom; NIL otherwise.

Gives a list of all atoms in the system.

Its value is true if its argument is false, and fa:lse otherwise.

This is a function that prevents its argument frou being evaluated. Its value is x itself.

The argument for cond is a list. Each element of the list is itself a list containing $n \geq 1$ items: the first is an expression whose value may be false or true (that is, NIL, or anytining which is not NIL); the rest may be any expressions. This is the conditional expression in the LISP system. The meaning of it is: if the first element of the first list is true (not NIL), then the following expressions are evaluated. The value of the conditional is the value of the last expression in this sublist. If there is only one expression, then the value of


typein [x] SUBR
ratom[] SUBR
setsepr[x] FSUBR setbrk[x] FSUBR

If $x=T$ read-in device is set to typewriter. If $x=N I L$ read-in device is set to reader. Value is former setting of typein.

Reads in one atom from read-in device. Separation of atoms is as defined by the functions setsepn and setbrk.

These are both FSUBRS and may have up to 18 arguments each. Arguments should be octal numbers, e.g., 77q for carriage return. Characters defined by setbrk will delimit atoms and be returned as separate atoms themselves. Characters defined by setsepr will not be returned and will serve only to separate atoms. For example, to make ratom read in ordinary format, space (Oq), comma (33q), and carriage return (77q) are separation characters, and left paren (57q), right paren (55q), and period (73q) are break characters. Thus setsepr[0q $\left.\begin{array}{lll}0 & 33 q & 77 q\end{array}\right]$

would set up these characteristics. The value of setsepr and of setbrk is NIL.
clearbuf[] SUBR
Q
$\square$
$\square$
4
feed [ $n$ ]
SUBR

This SUBR clears the input and output buffers of the sequence break package, including the sequence break reader, ratom, read, ard typein line buffers, and sets the case to lower case. This mears that if you have just done a read; and the $S$-expression did not complete: a line, whatever else is on that line will be lost. However, it is very useful if you want to initiallze the system, or an error has been made, and you want to clear out what ras been read in on a line.

If $x=T$, readir sets the teletype input to the parer tape reader. Specifically, it eliminates the linefeed echo after a carriage return, and the delete characters, rubout and colon, are rot recognized. Setting $x$ to NII restores the status to normal. This function returns its previous value.

The value of $n$ must be a number. This function outputs on the teletype $\underline{n}$ carriage return-line feeds or $\underline{n}$ carriage returns depending on the setting of readin.
character[ $n$ ] SUBR
$\operatorname{prog}_{1}[x ; y]$ SUBR.
prog2[x;y]
SUBR
$\underset{\text { FSUBR }}{\operatorname{progn}[x ; y ; . . ; z]}$
set[x;y]
SUBR

## setq[x;y]

FSIJR

This function outputs on the teletype a single character with octal representation (code) n. n must be a number.

This function evaluates both its arguments in order, that is, $x$ first and then $y$, and then returns the value of $x$.

The purpose of this function is to allow the evaluation of $\underline{x}$, before returning $y$.
progn is an FSUBR which evaluates each of its arguments in sequence, and returns the value of its last argument as its value. It is an extension of prog?.

This function sets the atom which is the value of $\underline{x}$, to the value of $y$, and returns the value of $y$.

This FSUBR is identical to set, except that the first argument is quoted.

Example: If the value of $\underline{x}$ is $\underline{c}$, and the value of $y$ is $\underline{b}$, then set [x;y] would result in $\underset{\text { c having }}{ }$ value $\underline{b}$, and $\underline{b}$ returned. setq[ $x ; y]$ would result in $\underline{x}$ having value $\underline{b}$, and $b$ returned. The value of $y$ is unaffected.
$\operatorname{setn}[x ; y]$ SUBR

|  | setqq[x; ] |
| :---: | :---: |
| $\square$ | $\underset{\text { FEXPR }}{\operatorname{setnq}[x ; y]}$ |
|  |  |
| $\theta$ | $\begin{aligned} & \operatorname{putd}[x ; y] \\ & \text { SUBR } \end{aligned}$ |
| $\square$ |  |
| $\square$ |  |
| $\downarrow$ |  |
| $0$ | $\underset{\text { FEXPR }}{\operatorname{putdq}[x ; y]}$ |
|  | $\underset{\text { SUBR }}{\operatorname{geta}[x]}$ |
| $\mathscr{L}$ |  |
| $\square$ |  |
|  | $\underset{\text { SUBR }}{\text { fntyp }}$ |
| $\mathbb{E}$ |  |
|  | $\begin{gathered} \operatorname{eval}[x] \\ \text { SUBR } \end{gathered}$ |

Identical to setg except that neither argument is evaluated.

This FEXPR is identical to setn except that the first argument is quoted.
putd places the value of $y$ into the function cell of the atom which is the value of $x$. This is the basic way of defining functions. putd is mnemonic for put definition on $x$. Value of putd is the definition (value of $y$ ).

This function is similar to putd, but both arguments are considered quoted, and its value is $x$.

This function gets the definition of the function whose name is the value of $x$. If $x$ is not a defined function, the value of getd[x] is NIL; if $x$ is a SUBR or FSUBR, the value is a number.

This function gives EXPR, FEXPR, SUBR, FSUBR or NIL depending on whether $x$ is an EXPR, FEXPR, SUBR, FSUBR or not defined, respectively.
eval evaluates the expression $x$ and returns this value.


This function calls eval with the value of form, and returns with a list of this value if no error is encountered. :[f an error is encountered on the call to eval, errorset returis with the value NIL. If arg is $T$, the message from error is printed; the message is not printed if arg $=$ NIL.

This FEXPR is lefined as (ERRORSET (CAR X) T); that is, it is the same as errorset with the argument quoted and the error flag set to $T$.

This FEXPR is Ldentical to ersetq except that the error flag is set to NIL and the error comment from error will not be printed out.
error induces an error with message x.
quit induces a "strong" error, i.e., will unwind a ?rogram through errorsets to the top level.

The value of this function is $T$ if $\underline{x}$ and $\underline{y}$ are equal, that is, identical S-expressions, and NIL otherwise. It is as fast ias eq for atoms.
and [x]
FSUBR
or[x]
FSUBR
$\operatorname{rdflx}[x]$
EXPR

This function is an FSUBR and can take an indefinite number of arguments. Its valie is $T$ if none of its arguments has value NIL, and is NIL otherwise.
or is also an FSUBR and may have an indefinite number of arguments (including 0). or has value NIL if all of its arguments have value NIL, otherwise, it has vaiue $T$.

If $x$ is NIL this function will try to read one s-expression from the typewriter with read[]; if no error occurred in realing, it will return with list of the $S$-expression that,
was read. If a:i error occurs in reading, it retirns with NIL. If $x$ is not NIL, it will attempt to read an S-expression and keep attempting to read it until it gets one without an error; each time it tries to read an $S$-expression and gets an error, it will print out $x$. In this case it returns with the S -expression itself (not list of the S-expression).

This function copies list $x$ and appends list $y$ to this copy. The value is the combined list.
nconc [ $x ; y$ ] SUBR

```
EXPR
```

This function is similar to append, in effer:t, but it actually causes this effect by modifying the list structure $x$, and making the last element in the list $x$ point to the list $y$. The value of nconc is a pointer to the first list $\underset{X}{ }$, but since this first list has now been modified it is a pointer to the concatenated list.

This function is the same as nconc. nnconc ".s used by the trace programs so that nconc itself can be trac:ed.

This function alitaches $x$ to the front of the list $y$ by doing an rplaca and an rplacd.

This function provides an efficient way for placing an item $x$ at the end of a list $p$. This list is the firsit item on $p$, that is, car[p]; cdr|p] is a pointer to the last element in this list; $x$ is placed on the end of the list by modifying this structure, and $x$ is placed on the list as an item. The effect of this function is equivalent $t($ nconc[car[p]; list[x]], with cdr[p] updated to point to the lasit element of the modified list.


$\underset{F E X P R}{\operatorname{defineq}}[x ; \ldots ; z]$

## EXPR

This FEXPR is c..osely related to define. However?, it can take an indefinite number of arguments, and it will treat them literally, as if they were quoted. Each of the arguments must be a list of the form described as an element of the list which is the argument for define. Using defineg instead of define allows one to e.iminate two pairs of parentheses :in writing functions to be defined for loading with the function load.
load is a function which reads successive $S$-exprensions from the paper tape reader, and evaluates each as it is read. If $x=T$, then load prints the value; otherwise it does not. load cont:inues reading s -expressions and evaluating them, until it reads the single atom STOP followed by a carrtage return, at which point it returns the value NIL. Using load is the standard way of getting functions in from the paper tape reader; it saves having to write sequences of E(EVAL (READ)).

$\operatorname{rplacd}[x ; y]$ SUBR

This very dangerous SUBR places in the decrement of the cell pointed to by $x$ the pointer $y$. Thus it changes the internal list structure physically, as opposed to cons which creates a new list element. This is the only way to get a circular list inside of LISP; that is by placing a pointer to the beginning of a list in a spot at the end of the list. Using this function carelessly is one of the few ways to really clobber the system.

This SUBR is sinilar to rplacd, but it replaces the address pointer of $\underline{x}$ with $y$. The same caveats which applied to using rplacd apply to rplaca.

This function of no argument generates a unique s:mbol of the form Annnn, in which each of the n's is replaced by a digit. Thus the first one generated is A 0001, etc. This is a way of generating new atoms for various uses within the system.

This function d:lsplays one point on the cathode ray tube at the point whose coordinates are ( $x ; y$ ) and returns $T$ if the light pen saw the displayed point, and NIL otherwise.
displis[•] SUBR
logand[x;...; z] FSUBR
logor [x;...., z] FSUBR
$e[x]$
FEXPR

The argument of this function is a Iist of successive $x$ and $y$ coordinates to be displayed.
For example:
displis[(1 $\left.\left.\begin{array}{llllll}1 & 2 & 1 & 3 & 1 & 4\end{array}\right)\right]$
will successively display the points at coordinates $(1,2),(1,3)$ and $(1,4)$.
This is faster than displaying eact
of these three points individually by using disp.

This FSUBR will take the logical AND of all of its argument as octal numbers aind return this value.

This function, an FSUBR, will take the logical OR, lit-wise, of all of its arguments, and return this number

This FEXPR is defined as eval; however, it is shonter and it removes the necessity for the extra pair of parentheses for the list of arguments for eval. Thus, when typing into evalquote one can simply type e followed by whatever one would type into eval and have it.evaluated.
$\operatorname{get}[x ; y]$
EXPR
trace[x] EXPR
$\operatorname{tracp}[x ; y]$

## EXPR

untrace[x] EXPR

This function gets from the list $x$ the item after the atom $y$ on list $x$. If $y$ is not on the list $x$, this function returnis NIL. For example, $\operatorname{get}[(a \quad b c c) ; b]=c$.

This function has as an argument a list of names $0::$ functions. It changes the defilnition of these functions so that when each function is entered, the values of the arguments of this function are printed; when the value of this function is computed this value is printed. Thus, trace[(plus ratom)] would cause pluss and ratom to be redefined so that this tracing takes place. The value of trace is the value of its argument $x$. The work of trace is done by the function trac1.

This function tells whether the function named $x$ with definition $y$ has been traced. Its value is $T$ if the function is being traced, and NIL otherwise.

This function undoes what trace does, and restores the original definition of the function.

A word of warning: do not trace the following functions or you will get in an infinite loop because these func:tions are used within traci itself: print; cons; set; fntyp; eval; return; evalprint; car; cdr; null; go.
$\operatorname{mapc}[x ; f n]$ EXPR
$\underset{E X P R}{\operatorname{mapcar}}[x ; f n]$ EXPR
mapconc[x;fn]
mapcon[x;fn]

This function applies the function in to each of the elements of the list $\underline{x}$. It returns the value NIL.

This function arplies the function in to each of the elements of the list $x$. It creates a new list which is a map of the old list in the sense that each element of the new list is the value of applying fn to the corresponding element of the cild list.

Identical to marcar except that it does an nconc. instead of a cons.

Identical to maplist except that it does an nconc. instead of a cons.
$\operatorname{map}[x ; f n]$ EXPR
maplist[x;fn] EXPR
$\operatorname{assoc}[x ; a]$ EXPR

## sassoc [x;y;u]

 EXPR$\operatorname{copy}[\mathrm{x}]$ EXPR

This function applies the function fn to successive tails of the list $x$. That is, first it computes $\mathrm{fn}[\mathrm{x}]$, and then $\operatorname{fn}[\operatorname{cdr}[x]]$, etc. until $x$ is NIL. This function returns NIL.

This function computes successively the same values that map computes; it forms a new list consisting of successive values of applications of this function.

If $\underline{a}$ is a list of dotted pairs, then assoc will produce the first pair whose first item is $x$. If such an item is not found, assoc will return NIL.

The function sassoc searches $y$, which is a list of dotted pairs, for a pair whose first element is X. If such a pair is found, the value of sassoc is this pair. Otherwise, the function $\underline{u}$ of no arguments is taken as the value of sassoc.

This function miakes a copy of the list x. The value of copy is the location of the copie list.


This function :eturns with a list whose elements were members of both lists $\underline{x}$ and $y$.

This function :Ls entered with two lists. It returns with a list consisting of all elements included on either of the wo original lists. If the same itrem is a member of both original lists, it is included only once on the new list.

The function $\mathrm{p}:$ op searches the list $x$ for an item that is equal to $y$. If such an elenent is found, the value of prop :is the rest of the list beginning immediately after that element. Otherwise, the value is $u[]$, where $u$ ista function of no arguments.

This is a function to reverse the top level of a list. Pruts ustrg reverse on $(A B(C D))=\because(C D) B A)$

This function fives the result of substituting the $S$-expression $x$ for all occurrences of the atomic symbol $y$ in the $S$-expression $z$.
sublis[x;y]
EXPR
apply[fn;args;a] SUBR
remove[x;1] EXPR
remprop $[\mathrm{x} ; \mathrm{y}]$ EXPR
put [x;y;z] EXPR

Here $\underline{x}$ is a list of pairs: $\left(\left(u_{1} \cdot v_{1}\right)\left(u_{2} \cdot v_{2}\right) \ldots\left(u_{n} \cdot v_{n}\right)\right)$

The value of sublis[x;y] is the results of substituting each $\underline{v}$ for the corresponding $\underline{u}$ in $\underline{y}$.

This is the regular eval in the 7094 LISP. Its first argument is a form which is evaluated by using the values obtained from a, a list of dotted pairs. That is, any variables appearing in $\underline{x}$ that also appear on a will be given the value indicated on $\underline{a}$.
apply applies the function fn to the arguments arjs with the values obtained from a, i.e. the arguments of fn on args are not evaluated but given to fn directly.
a is used to evalluate free variables in fn as described above.

The function remove removes all occurrences of $\underline{x}$ from list $\underline{1}$.

This function renoves all occurrences of the property with label $\underline{y}$ from the propenty list of $\underline{x}$.

This function puls on the property list of $x$, the label $y$ followed by the property $\underline{z}$. The current value of $\underline{z}$ replaces any previous value of $\underline{z}$ with label $\underline{y}$ on this property list.

```
add[x;y;z]
    EXPR
```

    \(\underset{\operatorname{EXPR}}{\operatorname{getp}}[\mathrm{x} ; \mathrm{y}]\)
    deflist[x;ind] EXPR
select $\left[x ; y_{1} ; y_{2} \ldots ; y_{n} ; z\right] \quad$ An example of argiments for this FSUBR

This function is ased to put any indicator on a property list. The first argument is a list of pairs (where the first of the pair is a name and the second party of the pair is the property to be stored with the indicator on the property list of the name) and the second argument is the indicator that is to be used. function is:

This function add $\underset{\sim}{ }$ the value $\underline{z}$ to the list appearing under the property $y$ on the atoin $x$. If $x$ does not have a property $p$, the effect is the same as put[x;y;list[z]].

This function gets the property with label $y$ from the property list of $x$.

NOTE: Both prop and get may also be used on property lists. However, since getp searches a list two at a time, the latter allows one to have the same object as both a property and a value. e.g., if
the property list of $x$ is (PROP1 A PROP2 B A C) then get $[x ; A]=$ PROP2, but getp $[x ; A]=C$.
$\left[q ;\left(q_{1} e_{1}\right) ;\left(q_{2} e_{2}\right) ; \ldots\left(q_{n} e_{n}\right) ; e\right]$

| B |  |
| :---: | :---: |
| B |  |
| B |  |
| B |  |
| B |  |
| 0 |  |
| 0 | $)^{\text {cigexix }}$ (x) |
| B |  |
| B | recinitu |
| 0 |  |
| 0 |  |
| $\square$ |  |
| B | ntilem |
| $B$ |  |
| B |  |


input ( $\underline{n}$ exp) where $\underline{n}$ is a positive integer will replace the nth expression in the current level expression by exp; if $\underline{n}$ is a negative integer it will put exp just before the nth subexpression in the current level expression. ( $n$ ) where $\underline{n}$ is a positive integer (with no expression following this integer) will delete the nth expression.
Warning: Typing '(I)", where current expression is a singleton, will not have desired effect.

An input of $O$ will take you up to the next higher level expression. If the input to edit is a positive integer, the nth-subexpression of the current expression will become the expression that can be edited.

An important thing to note is that all editing is final in the sense that any changes that are requested are put in with rplacas and rplacds. It is the original expression which has been modified to give the edited version; to return to the original expression you must re-edit. However, by using the COPY and RESTORE feature, the user can protect himself against errors in editing. The function edite calls edit1f, edit2f, editarf, and edit3f to do all the work.

Other special commands are:
COPY copies and saves entire expression being edited as it currently exists.
RESTORE Restores expression as of last cojyy: the current level expression will be the current level expression at last copy RESTORING without copying will have no effect.
$p \quad$ Same as ( $p<$ ).
( p n) Prints the nth subexpression of the current expression to a level of 2 , using LEVEIN described below. If n is zero, prints current exjuression to level 2.
( p n m ) Prints $\underline{\text { nth }}$ subexpression to a level m.
All printing may be interupted.
( $\mathrm{N}_{\mathrm{e}}^{1} \mathrm{e}_{2} \ldots$ )
which will tack the expressions
$e_{1} e_{2}, \ldots$ to the end of the current expression.
(E exp) will print the value of eval [exp]. (In exp! will compute $\mathrm{v}=\mathrm{eval}[\exp ]$ and then act as if edit were given ( $n$ v!!. This allows you to insert the va..ue of a computation in the current; expression, at subexpression $\underline{n}$. ( $\underline{n}$ must be a number).
(LI n) will insert a left parenthesis immediately before subexpression $n$ in the current expression and a matching right paren at the end of this current expression. For example, if $\mathrm{e}=(\mathrm{ABC})$
(LI 2) yields (A (B C)).
(LO n) will remove a left paren from the nth subexpression, and take a corresponding right paren from the end of the current expression, e.g., for $e=(A(B C) D)$
(LO 2) yields (A B C)
(RO n) will remove a right paren from the $n$th subexpression of the current expression, and insert one in at the end of the current top
level expression, e.g., , for $e=(A(B C) D E)$
(RO 2) yields (A (B C DE))
(RI m n) will insert a right paren in the nth subexpression of the mth subexpression of the current expression, removing one from the end of the m th subexpression, e.g.,
for $e=(A B(C D E) F)$
(RI 3 1) yields
(AB(C) DEF)
leveln [ x n ]
Abbreviates list $x$ at level $n$, using the symbol ampersand, "\&," to indicate greater depth. For example, leveln $[(A(B C)(D(E F) G)) 2]$ is ( $A(B C)(D \& G))$.
break is a funstion of three arguments: the function to be broken, under what condition to break, and what to print sut when a break occurs If when $=T$, the function always breaks. If when $=$ (NIL) a crack is made in fn. If what $=$ NIL, no information is printed out. break redefines fn using breaki so that atthe time the finction would have been entered, .oreak1 is entered instead with tiae definition of the function and infornation regarding the conditions for breaking.
unbreak redefines fn as it was before the break and returns the value fn. If in is not broken when unbreak is called, the value of unbreak is (FN NOT BROKEN).
breaklist[1]FEXPR
unbreaklist[1] FEXPR
breakat[fn; where; when; what]EXPR
unbreakat[fn; where] EXPR
breakprog[fn;1] EXPRThis function performs (UNBREAK FN)for each function on the list 1 .
This function is similar to break

This function is similar to breakexcept that instead of inserting abreak at the beginning of fn , itallows the user to insert a breakat any top-level place in fn. Theargument where indicates the labelor statement at which the break isto occur. The other arguments areused as in break.
breaklist is a function of one argument, a list of function names. It performs (BREAK FN T NIL) for each function name and returns the list of values of break. Note that (BREAK FN T NIL) will cause fn always to break, and will not print out any special message.

This function performs (UNBREAK FN) for each function on the list 1 . except that instead of inserting a break at the beginning of fn , it allows the user to insert a break at any top-level place in fn. The argument where indicates the label or statement at which the break is to occur. The other arguments are used as in break.

This function removes a break inserted by breakat.
breakprog is entered with the name of a function and a list of places. in that function where a break is desired. breakprog performs
(BREAKAT FN WFERE T NIL) for each place on the list 1 .
unbreakprog[fn] EXPR
break1[form; when;fn;what] FEXPR

This function performs (UNBREAKAT FN WHERE)
for each place where a break exists in fn.

Although this function is not entered directily by the user, it is the heart of all the break functions and is entered when a break occurs. After the sperified information is printed out, break1 listens to the typewriter or teletype for inputs. If STOP is input; a normal, exit is achieved. If RETURN FOO is input brealk returns (EVAL FOO). If $Q U I T$ is :nput, it performs (ERROR FN). :If EVAL is input, it evaluates fn. If a normal exit is subsequently achieved via the $\operatorname{STOP}$ command, brealk does not reevaluate fn, but uses the value obtained by the EVAL conmand. The EVAL feature is useful for evaluating a broken function without "letting go" of the break, e.g., to examine the effect of executing a broken fumction. If OK ..s input, a normal return is made without printing the value of the junction. Any other input to break: 1 is evaluated, and its value printed. This function uses bp1 to do part of its work.

Arithmetic Functions (all arguments must be numbers)
greaterp[x;y]SUBR
lessp[x;y] EXPR
zerop[x] EXPR
minusp [x]
EXPR
numberp[ x ]
SUBR
add1[x]EXPR
sub1[x]
EXPR
plus[x;y]
FSUBR
minus[x] SUBR
times[x;y]
$T$ if $x>y$;
NIL otherwise:
$T$ if $x<y$;
NII otherwise
$T$ if $x$ is zero;
NIL otherwise
$T$ if x is negative;
NIL otherwise:
$T$ if $x$ is a rumber;
NIL otherwise:
$x+1$
$x-1$
$\mathrm{x}+\mathrm{y}$ (This FSUBR may have any number of arguments.)

- x
product of $x$ and $y$ (This FSUBR may rave any number of argunents.)
quotient[x;y]
SUBR
difference[x;y]
EXPR
remainder [ x ; y ]
EXPR
divide[x;y]
SUBR

Following is a list of all atoms with AlPVAL's (permanent values) in the basic system, and their values.

| blank | space |
| :---: | :---: |
| space | space |
| tab | tab |
| comma | , |
| eqsign | = |
| xeqs | $=$ |
| $f$ | nil |
| nil | nil |
| period | - |
| plus | $+$ |
| Ipar | $($ |
| rpar | ) |
| slash | / |
| $t$ | $t$ |
| *t* | $t$ |
| qmark | ? |
| xdol | \$ |
| xsqu | 1 |
| xaqu | " |
| xlbr | [ |
| xrbr | ] |
| xarr | + |
| uparr | $\uparrow$ |
| colon | : |
| xgreater | $>$ |
| xlesser | $<$ |
| xnum | \# |
| xper | \% |
| xamp |  |
| xat. | (1) |

## SECTION IV.

## LISTINGS OF S-EXPRESSIONS OF EXPR'S AND FEXPR'S

```
(prog nil
    (cond
        ((null (fntyp (quote putdq))) (putd (print (quote putdq))
        (quote (nlamda ( \(x\) ) (prog2
```



```
(return (putdq load (lambda (x) (prog (xx yiy zz)
    (clearbuf)
    (setq \(\mathbf{c o n}\) (typein nil))
        ((equal (setq \(x x\) (read)) (quote stop)) (return (prog2
                (typein zz) \()\) ))
    \(\left(\begin{array}{l}\text { setq } \\ \text { cond } \\ \text { xx }\end{array}\right.\) (eval xx) \()\)
        ( \(\mathrm{x}(\) print \(x \mathrm{x}))\) )
    (go 11 ) \()\) )!)
```

(putdq define
(lambda (x) (cond (null x) nil) ns ( (lambda (y) (prog2 (putd (car y) (cond ( (null (coddr y)) (cadr y)) (car y ) ))
( $\operatorname{car} \mathrm{x})$ ) (define (cdr x)))))))
(putdq defineq
(nlamda (x) (define $x$ )))
(add
(lambda ( x y z) (prog nil loop (cond (null (cdr x)) (rplacd x (list ( Y ist z)) )
(caddr $x$ ) (list ((equal (cadr $x$ ) y) (rplaca (sddr x) (append z) )) $((\operatorname{setg} x(\operatorname{cddr} x))($ go loop) $) i$ (return y))))
(add1
(lambda (x) (plus 1) )
1
(append
(lambda ( $x y$ ) (cond ( (null $x$ ) y) $\}_{t}(\operatorname{cons}(\operatorname{car} x)$ (append (cdr $\left.\left.\left.\left.x) y\right)\right)\right)\right)$ )
(assoc
(lambda (xsas ysas) (cond

(attach

(copy
(lambda (x) (cond

(deflist
(lambda (l ind) (prog nil loop (cond (null 1) (return nil)))
(put (caar 1) ind (cadar 1))
$($ setq 1 (cdr 1))
$(\mathrm{go} \mathrm{Ioop)})$ ) $)$
(difference
(lambda ( $x$ y) (plus x (minus y))))
(e
(nlamda (xeeee) (eval xeeee)))
(ersetq
(nlamda (ersetx) (errorset (car ersetx) t)))
(get
(lambda ( $x$ y) (cond

IV-3
(getp
(lambda (x y) (prog (z)
loop $\left\{\begin{array}{l}\text { seta } z(\operatorname{cdr} x)) \\ \text { conc }\end{array}\right.$
((null z) (return nil)) (nair z))))

(intersection
(lambda ( $\mathrm{x} y$ ) (con
( $\operatorname{cdr} x)\left(\begin{array}{l}\text { member } \\ (\operatorname{car} x) \\ \text { ) }\end{array}\right)$ (cons (car $\left.x\right)$ (intersection ( $t$ (intersection ( $(\mathrm{dr} x) \mathrm{y})$ ))))
(last
(lambda (x) (prog (xx)
1 (bond
((atom x) (return $x x)))$
(seta $\mathrm{xx} x$ )

(Icons
(lambda ( xp ) ( $\mathrm{prog}(x x)$
(return (cong

$$
\begin{aligned}
& \text { (quote icon) } \\
& \text { x) ) }
\end{aligned}
$$

(length
(lambda (x) (prog (n)
$1 \quad\left(\begin{array}{l}\operatorname{setq} n() \\ \operatorname{cond} \\ ((\operatorname{atom} x)(\text { return } n)))\end{array}\right.$

$\left.\left(\begin{array}{ll}\operatorname{setq} 1)\end{array}\right)\right)^{\text {add 1 } n)}$
(lisp
(lambda (x y) (bond
( (equal xu) ni ll)
$\left(\begin{array}{l}(\text { greaterp } \mathrm{x} \\ \mathrm{t}) \mathrm{y}) \mathrm{l})\end{array}\right.$ nil)
(map
(lambda (mapx mapf) (cond ( null mapx) nil) (t) (prog2
(mapf (mapx) ${ }_{\text {map }}$ (cdr mapx mapf)))))
(mape
(lambda (mapcx mapef) (cond
$\}_{t}($ null mapcx (proge $n i l)$
(mapcf (car mapcx))
(mapc (cdr mapcx) mapcf))))))
(mapcar
(lambda (mpcrx mpcrf) (cond (null mpcrx) nil) (t (cons (mperf (car mpcrx)) (mapcar (cdr mpcrx) mpcrf
)) ) ) )
(mapcon
(lambda (mpenx mpenf) (cond ( (null mpenx) nil) (nconc (inpenf mpenx) (mapcon (cdr npenx) mpenf
) ) ) I)
(mapconc
(lambda (mpencx mpencf) (cond ( (null mpencx) nil)
( $t$ (nconc (mpencf (car mpencx)) (mapeonc (cdr mpencx) mpencf
))!)!
(maplist
(lambda (mplstx mplstf) (cond
((null mplstx) nil) ${ }_{\text {(cons }}$ (mplstf mplstx) (maplist (cdir mplstx) mplstf
))!)!
(minusp
(lambda (x) (greaterp 0 x)))
(nill
(nlamda (xnil) nil))
(nlsetq
(nlamda (nlsetx) (errorset (car nlsetx) nil)))

```
    (not
        (lambda (x) (cond
            (tnull x ) {) t)
    (prop
        (lambda (x y u) (cond
            {(null x)(u))
    (punch
        (lambda (x) (prog (y z)
            (setq y (punchon t))
            setq z (typeout nil))
            print x)
            punchon y)
            typeout z
            (return x))))
(put
        (lambda (x y z) (prog nil
            loop (cond
                    ((nxll (cdr x)) (rplacd x (:list
                        z)))
                            {(equal (cadr x) y) (rplaca (cddr x) z))
                (return y))))
(rdflx
    (lambda (x) (prog (xx yy)
                (setq yy (typein t))
                cond
                    (x (go r1)))
                (setq xx (ersetq (read)))
        r1 (go r2)
                ((setq xx (nlsetq (read))) (setq xx (car xx
)))
                        ((print x) (go r1)))
    r2 (typein yy)
                (return xx))))
```

                    IV - 6
    ```
    (remainder
        (lambda (x y) (cdr (divide x y))))
    (remove
        (lambda (a x) (cond
            {(nuli x) nil)
    (remprop
        (lambda (x y) (prog nil
            loop (cond
                    {({\begin{array}{l}{\mathrm{ null (cdr x)) (return y))}}\\{\mathrm{ equal (cadr x) y) (rplacd x (cdddr x)))}}\end{array})={\mp@code{setq x (cdr x)))}
                (go loop))))
(reverse
        (lambda (x) (prog (u)
            loop (cond
                    ((null x) (return u) ){
```



```
    (sassoc
        (lambda (xsas ysas usas) (cond
            {(\begin{array}{l}{\mathrm{ null ysas) (usas)))}}\\{(\mathrm{ equal (caar ysas) xsas) (car ysas))}}\\{(\begin{array}{l}{\mathrm{ (sassoc xsas (cdr ysas) usas))))}}\end{array})}\end{array})={
    (setnq
    ))){nlamda (xsetnq) (setn (car xsetnq) (eve.1 (cadr xsetnq)
    (setqq
        (nlamda (x) (set (car x) (cadr x))))
    (soundexin
        (nlamda (x) (mapcar x (quote (lambda (ysdx) (put (soundex
    ysdx) (quote name) ysdx) \))),
(soundexout
    (lambda (x) (getp x (quote name))))
(sub1
    (lambda (x) (plus
        x
        -1)))
```

                                    IV - 7
    (sub2
(lambda (a z) (cond

$$
\begin{aligned}
& \text { (t (sub2 (cdra) z))))) }
\end{aligned}
$$

(sublis
(lambda (a y) (cond $\left(\begin{array}{l}(\text { atom } y)(\text { sub2 a y) }) \\ \text { (cons }(\text { sublis a }\end{array}\right.$ car y)) (sublis a (cdr y)))))))
(subst
(lambda (x y z) (cond $\left\{\begin{array}{l}\left(\begin{array}{lll}\text { equal } & y & z \\ (a t o m & z & z\end{array}\right) \\ t \text { (cons }\end{array}\right.$
(t (cons (subst xy (car z)) (subst xy (cdr z))))))
(tconc
(lambda ( x p) (prog (xx)
(return (cond
((null p) (cons (setq $x x$ (coris $x$ nill)) $x x)$ )
(car p)
(rplaca $p$ (cons x ${ }^{n+1}$ ))
(rplacd p (car p))))
(rplacd (cons (t rplacd p (cdr (rplacd (cdr p)
(time
(lambda ( $x$ n) (prog (y m c c1)
t1 $\begin{aligned} & \left(\begin{array}{l}\text { setq } m \\ \text { setq } \\ \text { sen } \\ \text { cond }\end{array} \text { (clock) }\right)\end{aligned}$
$\}_{t}^{(\text {zerop } m)}$ (srogn $($ setq c1 (clock)))

(setg m (divide (plus
c1
(minus c)) n))
(prin1 (car m) )
prin1 (quotient (times
(car m)
10) n)
(zerop
(lambda (x) (equal x 0)))

0
B
$B$
(break
(lambda (fin when what) (prog (xx yy zz) (cong
((null (seta xx (get in))) (return (prog
(putd fin (list
(quote nlamda)
quote (1))
(lIst
(quote break)
nil
when (seta $x x$ (list in (quote (undefined.)))) what)))
xx) ) ( (null (eq yo (quot (seta yy (rdfix (print (cons fin (quote (is a subs
need ergs)) ()))
(putd (seta az (gensym)) $x x$ )
(seta xx (putd in (list
(quote lambda)
yy
(cons ez wy))))
b2 (cong
list
((eq (caaddr xx ) (quote break 1)) ( set xx (
(car $x x$ )
(cadre cx ) $\operatorname{cadr}^{(\operatorname{caddr} \mathrm{xx})))))}$ )
(putd in (list
$\left\{\begin{array}{l}\operatorname{car} \mathrm{XX}) \\ \text { cadre } \mathrm{XX} \text { ) } \\ \text { list }\end{array}\right.$
(quote break)
(caddr xx)
when
(list
$\left.\begin{array}{r}\text { en } \\ \text { what } \\ \text { in }\end{array}\right\}\}$,
(unbreak
(lambda (fn) (prog (xx yy) (return (cond
(not a function) (null) (setq $x x$ (getd fn))) (cons fn (quote
(breaklist
) t (nila)) ) ) ) ${ }^{\text {( }}$ ) (maplist x (quote (lambda ( x ) (break (car x ) ( nil)) )) )
(unbreaklist
(nlamda ( $x$ ) (maplist $x$ (quote (lambda ( $x$ ) (unbreak (car x) ) ) ) ) )
(breakprog
(lambda (bpx bpy) (maplist bpy (quote (lambda (z) (breakat bpx (car z) t nil) ) ) ) )

## (unbreakprog

(lambda (x) (prog (xx)
$u 1$ (setq $x x(b p 1 x))$
((eq (caadr $x x$ ) (quote breaki)) (rplacd $x x$
(cddr $x x$ )))
$\left(\begin{array}{l}(\operatorname{setq} \mathrm{xx}(\operatorname{cdr} \mathrm{xx}))(\mathrm{gou})) \\ (\mathrm{return}(\mathrm{nil})))\end{array}\right.$ (go u1))))
(breakat
(lambda (in where when what) (prog (a) bi ( $\begin{gathered}\text { seta a (bp } \mathrm{fn}) \text { ) }\end{gathered}$
( (equal (car a) where) (return (pro ge (rplacd a (cons (list
(quote break i)
nil
when
(list
in
(quote at)
where)
what) (cdr a)))
where))
((setq a (cdr a)) (go bi)))
(return (cons where (quote (not found)))))))
(unbreakat
(lambda (fin where) (prog (a)
$u 1$ (setq a (bp in))
((equal (car a) where) (return (con
( (eq (caadr a) (quote break)) (prog (rplacd a (cddr a))
where) )
( $t$ (cons in (append (quote (not broken at
)) (list

(return (cons where (quote (not found)))))))
IV - IV

| $\square$ | (nlamda (brk1x) (prog (brk1xx brk1yy brk:Lzz) (cond |
| :---: | :---: |
| $\pi$ | return (eval (car brkix)))) brk1xx (eval (cadr brkix)))) ( |
|  | $\qquad$ |
| 11 | ))) (print (append (quote (crack in') (caddr brkix |
| $2$ | ))) (abla |
| $1$ | ```bo (setq brk1yy (print (append (quote (break in)) (caddr brk1x)))) (cond ((cadddr brk1x) (print (eval (cadddr brkix)``` |
|  |  |
|  |  |
| $0$ | $\left\{\left(\begin{array}{l} \text { eq brkixx } \\ \text { eq brkixx } \end{array}\right.\right. \text { quote stop)) (guote return) (go b3)) }$ |
| 0 | \{ ( $\mathrm{eq}_{\text {and }}$ brkixx (quote ok) ) $\left.(\mathrm{go} \mathrm{k}, 3)\right)$ |
|  | (ersetq (setq brk1xx (eval. brk1xx))) <br> (nlsetq (print brkixx))) (go b1)) <br> ((print brkiyy) (go b1))) <br> (cond |
|  | ))))) (print brkiyy) ) (setq brkizz (ersetq (eval (car brkix |
| $\int$ | b2 (go b1) |
| $\pi$ | ))) (go b4)) |
| ? |  |
| 0 | )) nil) |
|  | )) : $\quad$$($ eq brkixx (quote ok)) (print (cadd <br>  <br> $(($ prog2 |
|  | $\cdots \mathrm{brk} 1 \mathrm{x})$ )) (print (append (quote (value of)) (caddr ${ }^{\text {(null (nlsetq (print (car brkizz))))) (print }}$ |
| 0 | $(\text { quote ok)) }))_{\text {return }(\text { car brk1zz }))))}$ |

(bp1

))) (caddr $x x$ )) (eq (caaddr $(\operatorname{setq} x x(g e t d x)))$ (quote prog ())!)"
(prettydef
(lambda (x) (prog (a)

(prettyprint

(printdef
(lambda (e) (prog (i iunit iunitl)

(setq iunitl 3)
(prin1 lunit)
(superprint e) ${ }^{\text {seturn nil) })}$ )
(superprint
llambda (e) (cond
( (atom e) (cond
((member e (quote ("nu " " "(" ")"
"
" " " "." ", " (quote ) (prini (pack (list


(endline
(lambda nil (prog (j)
$a \quad \begin{aligned} & \left(\begin{array}{l}\operatorname{setnq} \\ \text { terpri) } \\ \text { cond }\end{array}\right.\end{aligned}$

$$
\begin{aligned}
& \quad\left(\left(\begin{array}{ll}
\text { zerop } j) & (\text { return nil }) \\
(\text { minusp } j) & (\text { error } i))
\end{array}\right)\right. \\
& \left(\begin{array}{l}
\text { prin1 iunit }) \\
\text { setnq } \\
\text { go } a)))
\end{array}\right.
\end{aligned}
$$

```
(trace
(lambda \(\underset{(\operatorname{setq} a \log )}{(\mathrm{prog}} \mathrm{b}\) cg)
loop \(\begin{aligned} & \left(\begin{array}{l}\text { sett a } x) \\ \text { cong } \\ (\text { null } x)\end{array} \text { (return a))) }\right) ~\end{aligned}\)
(sett b (etd (seta c (car x))))
(seta x (cdr x ))
((null b) (progn
(print (cons c (quote (undefined)))) ((track cb) (pron
(print (cons c (quote (was traced))))
(go 100p))))
(putd (seta g (gensym)) b)
(puts c (list
\((q u o t e ~ n l a m d a)\)
quote (qq)
list
(quote traci)
(quote quote)
c)
(list
(quote quote)
g)
(quote q1qq))))
(go loop))))
(untrace
(lambda (x) (prog (a bc)
(set (quote a) x)
loop (cong
\(\left(\operatorname{set}(\right.\) quote g\(\left.)(\text { return })^{\text {a }}\right)\) ))
\(\left(\begin{array}{l}\text { set } \\ \text { cong }\end{array}\right.\) quote x ) ( \(\left.\begin{array}{l}\operatorname{car} \\ \operatorname{cdr} \\ \mathrm{x}\end{array}\right)\) )
( (track g (set (quote b) (get g))) (prog (set (quote b) (chadar b))
b))) (putd (cadar b) (getd (set (quote c) (cadadr
(tracp
(lambda ( \(\mathrm{x} y\) ) (and (eq (fntyp x) \(\left.\left.\left(\begin{array}{l}\text { (quade } \\ \text { caadr } y)\end{array}(q u o t e ~ t r a c i)\right)\right)\right)\) )
(trac1
(lambda (ctrac gtrac xtrac) (prog (atrac)
(print (cons ctrac quote (entered with))))
(set (quote xtrac) (cond ( (eq (fntyp gtrac) (quote fsubr)) (print xtrac
((eq (fntyp gtrac) (quote fexpr)) (print xtrac
))
(t (evalprint xtrac))))
(set (quote atrac) (eval (cons gtrac xtrac)))
(print (cons ctrac (quote (has value))))
(return (print atrac)))))
(evalprint
(lambda (xvalp) (prog (avalp) loop (cond
((null xvalp) (return avalp)))
(set (quote avalp) (nnconc avalp (list (list
(quote quote)
(print (eval (car xvalp)) )) )) )
\(\left(\begin{array}{l}\text { set (quote xvalp) } \\ \text { go loop) }) \text { ) }\end{array}\right.\)
(editf
(lambda (x) (prog2
(putd \(x\) (edite (getd \(x))\) )
x) ))
(editv
(lambda (x) (prog2
(set \(x(\operatorname{dite}(\operatorname{eval} x)))\)
(editp
(lambda (x) (prog2
(rplacd \(x\) (edite (cdr \(x)\) ))
x) )
(edite
(lambda ( \(x\) ) (prog (ly c)
\(\underset{\left(\begin{array}{l}\text { typein } \\ \text { seta } \\ \text { x) }\end{array}\right.}{ }\) (list
(print (quote edit))
a (cond

( (eq c (quote p)) (edithf (quote (po))))
 \(\left(\begin{array}{l}\text { numbert }(\text { edit } f(\mathrm{car}))\end{array}\right.\) c) (editar c)) (go a))))
(edit1f
(lambda (c) (cond
 (t (setq 1 (cdr 1) ) ) ))
( (greaterp c 0) (cond
(greaterp c (length (car 1))) (prent qmark)
( \(t \quad\binom{\) print }{ qmark \(\left.)}\right)\) ) \()\)
```

(edit2f
(lambda (c) (cond
((greaterp (car c) 0) (cond
((greaterp (car c) (length (car 1))) (print qmark
))
c) nil))(t))(rplaca 1 (edit2af (sub1 (car c)) (car l) (cdr
((or
(eq (car c) 0)
(greaterp (minus (car c)) (length (car 1)))) (print
qmark))
(t (rplaca l (edit2af (sub1 (minus (car c))) (car l)
(cdr c) t))))))
(edit2af
(lambda (n x r d) (prog2
(cond
((null (eq n 0)) (rplacd (nth x n) (nconc r (cond
(d (cdr (nth x n)))
(a t (cddr (nth x n n{)))))
x)))
(edit3f
(lambda (x) (cond
((eq (car x) (quote i)) (edit2f (list
(cadr x)
(eval (caddr x)))))
))))|
{(eq (car x) (quote e)) (ersetq (print; (eval (cadr x
x (quote (((\operatorname{car l))))) t)})
(t (print qmark))}})

```
(bent
(lambda ( \(x\) ) (prog (y n)
\[
\{((\operatorname{zerop}(\operatorname{car} x))(\operatorname{setq} y(\operatorname{car} 1)))) \text { (greaterp }(\operatorname{car} x)(\text { length }(\operatorname{car} 1)))(g o \text { bi }
\]
))

(return (cold
\(\left(\begin{array}{l}(\text { nisetq }(\text { print }(\text { leven } y n))) n i l) \\ \left.\left.\left(\text { print }^{(q u o t e ~ e d i t)}\right)\right)\right)\end{array}\right.\)
bi (return (print quark)))))
(leven
(lambda ( \(x \mathrm{n}\) ) (cold
\(\left\{\left(\begin{array}{l}\operatorname{atom} x) x) \\ (\operatorname{zerop} n)\end{array}(\right.\right.\) quote \(\left.\wedge)\right)\)
)) ) ) )
(nth
(lambda ( \(x \mathrm{n}\) ) (con
( (atom \(x\) ) nil)
\(\left\{\begin{array}{l}(\operatorname{greaterp} \mathrm{x})) \text { 1) })(\operatorname{nth}(\operatorname{cdr} \mathrm{x})(\operatorname{sub1} \mathrm{n})))\end{array}\right.\)
(last
(lambda ( x ) (con
((null x) (error (quote (null list)))) (null (cdr x)) x)
\((t(\operatorname{lastr}(\operatorname{cdr} x)))))\)
(ri
(11
(lambda (n x) (prog (a)
\[
\left(\begin{array}{l}
\text { setq a }(\text { nth } x \mathrm{n})) \\
\text { cond }
\end{array}\right.
\]
\[
((\text { null a) (return (print qmark) ))) }
\]
\[
\binom{\text { rplaca a (cons }}{(\text { rplacd a nil)) })}
\]
(10
(lambda (n \(x\) ) (prog (a)
\[
\begin{aligned}
& \begin{array}{l}
\text { (setq a (nth } \times n) \text { ) } \\
\text { cond (or }
\end{array} \\
& \text { (null a) } \\
& \text { (atom (car a))) (return (print qmark)))) } \\
& \text { (rplacd a (cdar a) (caar a) }) \text { )) }
\end{aligned}
\]

\section*{APPENDIX A}
OPERATING THE BBN-LISP SYSTEM

\section*{LISP IOADER}

The LISP loader allows one to load several drum fields from either paper tape or magnetic tape. In addition, there is provision for transferring a system from drum to mag tape. A complete system is treated as a file on tape (each core load is one block of the file) and all tape commands are in terms of files rather than blocks. Teletype should be connected to channel 0 of the 630 scanner.

Instructions for Loading System Programs onto the Drum

The LISP loader can be used for setting up the drum fields of the system programs, including itself. To do this:
1. Read into core 1 the system program to be placed on a drum field.
2. Read into core 1 the program at location 0 for that drum field.
3. Read into core 0 the IISP loader.
4. Type: nd
where n is the octal number of the drum field onto which to dump core 1.

\section*{Instructions for Loading IISP with the Loader}
1. Load mag tape of system on tape drive and set it to automatic on unit 1.
2. Read into core 0 the paper tape of the LISP loader. The mag tape will be rewound and the LISP loader will be waiting for typein. (The LISP loader starts at 300.).
3. Type: nr
where \(n\) is the octal number of the file to be read in. 26 drum fields will be read off of the mag tape onto the drum and the typewriter will type out \(n<m\) where \(n\) is the first block number read (starting with 0 ) and \(m\) is the last +1 block number read.
4. Type: 1

This will take the user to LISP.

Instructions for Writing IISP onto Mag Tare with the Loader
1. From LISP call the drum field with the LISP loader, FIELD ( \(25 Q\) ), or read into core 0 the paper tape of the LISP loader.
2. Type: nw
where \(n\) is the octal number of the file that you wish to write.

Iist of Commands Available in the LISP Loade:: ( \(n\) is an octal number)

1
e
\(n r\)
nw
nd
nc
np
ng
\(n u\)
nb
nf

0
ns
calls IISP
calls the editor on field 26
reads onto the drum from nag tape file \(n\)
writes current drum systen on mag tape file \(n\) dumps core 1 onto relative drum field \(n\) reads relative drum field \(n\) into core 1 preserves core 0 on relative drum field \(n\) gets registers 0-177 on relative drum field \(n\) and transfers to \(D\)
selects the mag tape unit to be used. Starting the program at 300 automatically selects unit 1.
sets the base field on the drum to \(n\), i.e., drum loading will begin on field \(n\) from either core or mag tape. The base is initially set to 1. The first relative field \(n\) is 1 , not 0. Relative field \(n\) is absolute field "n-1 + base".
sets the number of fields in a file. This value is initially set to 26 octal.
rewind (origin)
space tape \(n\) files forward (or backward if \(n\) is negative). If \(n\) is ze:\% the tape will be moved to the beginning of the current file. Spacing backwards has beell known to-cause trouble.


To use LISP from the computer room teletype：Connect the teletype to channel 0 of the scanner and then load the LISP system as described in Appendix A．1，LISP LCADER．The teletype will carriage－return and be waiting for input into evalquote．

Manual restart should never be used as there are no known ways to cause the system to halt or crash（if either does occur， record all particulars and deliver to D．Murphy）．The following， however，do exist：
start 202
start 203
reinitializes all sequence break routines and restarts
reinitializes er．tire system，i．e．， kills everything and redefines only initial SUBR＇s and FSUBR＇s．

To use LISP from a remote dataset: The LISP system should be loaded and running as described in Appendix A.1, LISP LOADER. Then:

Set the channel 0 dataset phone to "auto" (the channel 0 phone is the one on which the number 491-5120 appears).

From the remote dataset, push the "tel" button, and when the dial tone is heard in the attached receiver, dial 491-5120. The phone in the computer room will be answered automatically, and a tone will be transmitted. When this tone is heard, the "ORIG" button shoula be pressed, establishing the connection.

Special Codes for Control (see standard chart of teletype codes for complete set)

Octal Code Character Function
\begin{tabular}{ll} 
rubout & \begin{tabular}{l} 
deletes the line being typed in \\
types out and deletes the last \\
character typed in
\end{tabular} \\
break key \(\quad\)\begin{tabular}{l} 
causes an interrupt followed by an \\
untrace. A second depression of
\end{tabular} \\
this key halts the untrace.
\end{tabular}
A. 3-1
\begin{tabular}{lll} 
Octal Code Character & Function \\
204 & control D & \begin{tabular}{l} 
HANGUP, when transmitted by either \\
computer or user, causes immediate \\
hangup on botr ends
\end{tabular} \\
207 & control G & Bell \\
211 & control I & \begin{tabular}{l} 
Horizontal tak, on output only, \\
causes carriage to be noved to \\
next predefined tab stop
\end{tabular} \\
221 & \begin{tabular}{l} 
reader on: stiarts paper tape \\
reader if tape is Ioaded
\end{tabular} \\
223 & control \(S\) & \begin{tabular}{l} 
reader off: when appearing on \\
paper tape only, causes reader to \\
stop after reading next character
\end{tabular}
\end{tabular}
A.3-2

APPENDIX B

\section*{INDEX TO FUNCTIONS}
\(\frac{\text { name of }}{\text { function }}\)
\begin{tabular}{cc}
\begin{tabular}{c} 
description \\
section III, page
\end{tabular} & \(\frac{\frac{\text { IIsting }}{}}{24}\) \\
33 & 2
\end{tabular}

2
apply ..... 23
assoc ..... 21 ..... 3
atom ..... 2
attach ..... 12 ..... 3
break ..... 30 ..... 10
break1 ..... 13
breakat ..... 12
breaklist ..... 11
breakprog ..... 11
car, cdr, (etc) ..... 1
character ..... 7
clearbuf ..... 6
cond ..... 2
cons ..... 1
copy ..... 213
define ..... 14 ..... 2
defineq ..... 15 ..... 2
deflist ..... 24 ..... 3
difference ..... 34 ..... 3
disp ..... 17
displis ..... 18
divide ..... 34
e ..... 18 ..... 3
edite 26 ..... 20
B.1-1



\begin{tabular}{|c|c|c|}
\hline name of function & description section III, page & secticn IV, page \\
\hline tconc & 12 & 8 \\
\hline terpri & 4 & \\
\hline time & 25 & 8 \\
\hline times & 33 & \\
\hline trace & 19 & 18 \\
\hline tracp & 19 & 19 \\
\hline typein & 5 & \\
\hline typeout & 4 & \\
\hline unbreak & 30 & 11 \\
\hline unbreakat & 31 & 12 \\
\hline unbreaklist & 31 & 11 \\
\hline unbreakprog & 32 & 11 \\
\hline union & 22 & 9 \\
\hline unpack & 16 & \\
\hline untrace & 19 & 18 \\
\hline zerop & 33 & 9 \\
\hline
\end{tabular}
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\text { B. } 1-5
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\hline \multicolumn{2}{|l|}{This report describes in detail the BBN-LISP system. This LISP system has a number of unique features; most notably, it has a small core memory, and utilizes a drum for storage of list structure. The paging techniques described here allow utilization of this large, but slow, drum memory with a surprisingly small time penalty. These techniques are applicable to the design of efficient list processing systems embedded in timesharing systems using paging for memory allocation.} \\
\hline
\end{tabular}
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