SETL Newsletter Number 22April 16, 1971J. Schwartz

Some small and large language extensions for consideration.

This note will serve to record some extensions to SETL that might be useful. The first is merely an observation; the second would fit quite easily into the present framework; the others would require a more substantial change. Comments are solicited.

1. Use of square brackets within expressions.

The notations f[a], f[a,b], f(a,[b]), etc. are provided, where for example f[a,b] is by definition the set

$$\{f(x,y), x \in a, y \in b\}$$

and

f(a,[b]) is the set

 ${f(a,y), y \in b}.$

The same notations can be used with infix operators, so that for example

[a] + 1 for a set of integers is $\{x+1, x \in a\}$, while [a] + [b] is

 $\{x+y, x \in a, y \in b\}$. Note that these constructions can be compounded.

2. Calculations within expressions.

In-line subroutines, somewhat like the direct application of PROC in BALM, might be useful, and could be provided in some such form as the following.

Let <u>block</u> be a block of statements, containing certain statements of the form

return expn;

Then

(1) calc block;

or,

calc block end;

or

calc block end calc;

could be allowed as an expression. Variables within such an expression would have the name scopes determined by the surrounding context; the code in <u>block</u> would be executed up to the first statement of the form

(2) return expn;

encountered. The value of (1) would then be the value of the <u>expn</u> in (2); or, if the end of <u>block</u> were reached before any statement (2) were encountered, the value of (1) would be \mathcal{N}_{\perp} . Thus, for example, to use the sum of x, f(x), f(f(x)), etc., within an expression, this sequence being extended to the first zero value encountered, we could write

- $a = \underline{calc} \quad s=0; \ y=x; \ (while \ y \ \underline{ne} \ 0 \ doing \ y=f(y);) \quad s=s+y;;$ return s;; + ...
- 3. <u>Name-atoms and a type of pointer construction</u> suggested by ALGOL 68.

Suppose that

a. Names are permitted as an atom type;

b. Two special blank atoms <u>elementof</u> and <u>setof</u> are introduced (for a purpose to be explained shortly);

c. The definition of the basic SETL operations are modified as follows.

cl. The value of the application operation

 $f(a_1, ..., a_n)$

whose f is a set name, is the n+2 tuple (3) $\langle \underline{\text{elementof}}, a_1, \ldots, a_n, \widehat{f} \rangle$, where f is the name atom corresponding to f. (Like the BALM '=f'.)

c2. Similarly, the value of the application operation (4) $f\{a_1, \ldots, a_n\}$, where f is a set name, is the n+2 tuple

 $\langle \underline{\text{setof}}, a_1, \ldots, a_n, \hat{f} \rangle$.

c3. When an n+2 tuple of this form is used as the operand of any built-in SETL operation (excepting, however, left-hand operands of equality (i.e., '='), which we now regard as an operation), it is 'evaluated', i.e., either

(or

 $f\{a_1, \ldots, a_n\}$) taken in the existing SETL sense, and this value used in place of (3) (or (4)).

c4. The same rule applies to the right-hand operand of an equality sign. But when (3) is the left-hand operand of an equality sign, we evaluate

 $\langle \underline{\text{elementof}}, a_1, \ldots, a_n, \widetilde{f} \rangle = \exp n$ performing the assignment

 $f(a_1, \ldots, a_n) = expn,$ in its present sense. Similarly, when

 $\langle \underline{\text{setof}}, a_1, \ldots, a_n, \widetilde{f} \rangle = \exp n$ is evaluated we perform

 $f\{a_1, \ldots, a_n\} = expn;$ in its present sense. These conventions allow such 'pointer-tuples' to be passed to subroutines and to be calculated by expressions and functions; giving powerful new possibilities (though complicating optimization). Thus, for example, we may write

if x>0 then f(x) else g(x,y) = expn; as in ALGOL 68. The subroutine in, defined as always by

define a <u>in</u> b; b = b <u>with</u> a; return b; end <u>in</u>; can then be invoked in the form

a $\underline{in} f(x)$; Moreover, if we define a function

definef thing; external y; return if x>0 then f(x)
else g(x,y); end thing;
then we can write

thing = expn with the expected result.